

BIBLIOGRAPHY

- [1] AL-OSH, M.A. AND ALZAID, A.A. (1987) : First order integer valued autoregressive (INAR(1)) processes, *J. Time Series Anal.* 8, 261-275.
- [2] AL-OSH, M.A. AND ALY (1992) : First order autoregressive time series with negative binomial and geometric marginals, *Commun. Statist.- Theory Math.* 21(9), 2483-2492.
- [3] ALPUIM, M.T. (1989) : An extremal Markovian sequence, *J. Appl. Prob.* 26, 219-232.
- [4] ALPUIM, M.T. AND ATHAYDE, E. (1990) : On the stationary distributions of some extremal Markovian sequences, *J. Appl. Prob.* 27, 291-302.
- [5] ALZAID, A.A. AND AL-OSH, .M.A. (1988) : First order integer valued autoregressive processes : distributional and regression properties, *Statist. Nederlandica* 42, 53-61.
- [6] ALZAID, A.A. AND AL-OSH, .M.A. (1990) : An integer valued p^{th} -order autoregressive structure (INAR(p)) process, *J. Appl. Prob.* 27, 314-324.
- [7] ARNOLD, B.C. AND ISAACSON D. (1976) : On solutions to $\min(X, Y) \stackrel{d}{=} aX$ and $\min(X, Y) \stackrel{d}{=} aX \stackrel{d}{=} bY, Z$, *Wahrschlichkeitsth. verw. Gebiete*, 115-119.
- [8] ARNOLD, B.C. AND HALLETT, J.T. (1989): A characterization of the Pareto processes among stationary stochastic processes of the form $X_n = c \min(X_{n-1}, Y_n)$, *Statistics and Prob. Letters* 8, 377-380.
- [9] BONDESON (1979) : On generalized gamma and generalized negative binomial convolutions Part I, *Scand. Actuarial J.*, 125-146.
- [10] BOX, G.E.P. AND COX, D.R. (1964) : An analysis of transformations, *J. R. Statist. Soc.* B26, 211-252.
- [11] CHERNICK, M.R., DALEY, D.J. AND LITTLEJOHN, R.P. (1988) : A time-reversibility relationship between two Markov chains with exponential stationary distributions, *J. Appl. Prob.* 25, 418-422.
- [12] COX, D.R. AND ISHAM, V. (1980) : *Point processes*, Chapman and Hall, London.

- [13] DALEY, D.J.(1989): Characterization of distributions with exponential and geometric tails (Unpublished Manuscript)
- [14] DALEY, D.J. and HASLETT, J (1982) : A thermal energy storage process with controlled input, *Adv. Appl. Prob.*, 14, 257-271.
- [15] HOOGHIESTR, G. and KEANE, M. (1985) : Calculation of the equilibrium distribution for a solar energy storage model., *J. Appl. Prob.*, 22, 852-864.
- [16] HOOGHIESTR, G. and SCHEFFER, C.L. (1986) : Some limit Theorems for an energy storage model, *Stoch. Proc. Appl.*, 22, 121-127.
- [17] FELLER W. (1971) : *An introduction to probability theory and its applications*, Vol II, John Wiley & sons, New York.
- [18] FISZ, M and VARADARAJAN, V.S. (1963) : A condition for the absolute continuity of infinitely divisible distributions, *Z. Wahrch. und Verw. Gebiete* 1, 335-339.
- [19] GAVER, D.P. AND LEWIS, P.A.W. (1980) : First order autoregressive gamma sequences and point processes, *Adv. Appl. Prob.* 12, 727-745.
- [20] GREEN RICHARD F. (1976) : Partial attraction of maxima, *J. Appl. Prob.*, 13, 159-163.
- [21] HASLETT, J. (1979) : Problems in the stochastic storage of a solar thermal energy. In *Analysis and optimizations of stochastic systems*, ed O. Jacobs, Academic Press, London.
- [22] ELLAND, I.S. and NILSEN, T.S. (1976) On a general random exchange model, *J. Appl. Prob.* 13, 781-790.
- [23] JACOBS, P.A. and LEWIS P.A.W. (1978a) : Discrete time series generated by mixtures-I : Correlational and runs properties, *J. R. Statist. Soc. B*, 40, 94-105.
- [24] JACOBS, P.A. and LEWIS P.A.W. (1978b) : Discrete time series generated by mixtures-II : Asymptotic properties, *J. R. Statist. Soc. B*, 40, 222-228.
- [25] JACOBS, P.A. and LEWIS P.A.W. (1983) : Stationary discrete autoregressive moving average time series generated by mixtures, *J. Time Series anal.* 4, 19-36.
- [26] KAGAN, A.M., LINNICK, Yu. V. and RAO, C.R. (1973): Characterization problems in mathematical statistics, John Wiley and Sons, NY.

- [27] KALAMKAR, V.A. (1995) : Minification processes with discrete marginals, *J. Appl. Prob.* 32, 692-706.
- [28] KLEBANOV, L.B., MANIA, G.M. AND MELAMAD, I.A. (1985) : A problem of Zolotarev and Analogs of infinitely divisible and stable distributions in a scheme for summing a random number of random variables, *Theory of Prob. and Applications* 29, 791-794.
- [29] KRUGLOV V.M. (1972) : On the extension of the class of stable distributions, *Theory of probability and applications*, 17, 685-694.
- [30] LAWRENCE, A.J. AND LEWIS, P.A.W. (1977) : An exponential moving average sequence and point process (EMA 1), *J. Appl. Prob.* 14, 98-113.
- [31] LAWRENCE, A.J. AND LEWIS, P.A.W. (1980) : The exponential autoregressive moving average EARMA(p, q) process, *J. R. Statist. Soc. B* 42, 150-161.
- [32] LAWRENCE, A.J. AND LEWIS, P.A.W. (1981) : A new autoregressive time-series model in exponential variables (NEAR(1)), *Adv. Appl. Prob.* 13, 826-845.
- [33] LEVY P. (1937) *Theorie de l'addition des variables al'eatoires*, Gauthier-villars, Paris.
- [34] LEWIS, P.A.W. (1982) : *Simple multivariate time series for simulations of complex systems*, Proc. 1981 Winter Simulation Conf., Ed. T.I. Oren, C.M. Delfosse and C.M. Shab, 389-390.
- [35] LEWIS, P.A.W. AND McKENZIE E. (1991) : Minification processes and their transformations, *J. Appl. Prob.* 28, 45-57.
- [36] LITTLEJOHN, R.P. (1992a): Discrete minification processes and reversibility, *J. Appl. Prob.* 29, 82-91.
- [37] LITTLEJOHN, R.P. (1992 b) : An operation which inverts Bernoulli multiplication and associated stationary reversible Markov processes, *J. Appl. Prob.*, 29, 234-238.
- [38] LUKACS E. (1970) : *Characteristic functions*, Griffin, London.
- [39] McKENZIE E. (1985) : Some simple models for discrete variate time series, *Water Resources Bulletin* 21, 645-650.
- [40] McKENZIE E. (1986) : Autoregressive moving average processes with Negative Binomial and Geometric marginal distributions, *Adv Appl. Prob.* 18, 679-705.

- [41] MOHAN, N.R., VASUDEVA, R. AND HABBAR, H.V. (1993) : On geometrically infinite divisible laws and geometric domains of attraction, *Sankhya*, 55, 171-179.
- [42] NELSON, H. (1976) : The use of Box-Cox transformations in Economic Time series : An empirical study, Ph.D. Thesis, Economics Department, University of California, San Diego.
- [43] PANCHEVA, E.I. (1990) : Self-decomposable distributions for maxima of independent random vectors, *Prob. Th. Rel. Fields* 84, 267-278.
- [44] PILLAI, R.N. (1991) : Semi-Pareto processes, *J. Appl. Prob.* 28, 461-465.
- [45] RUDIN, W. (1976) : *Principles of Mathematical Analysis*, 3rd Ed., McGraw-Hill Inc.
- [46] SIM, C.H. (1986) : Simulation of Weibull and Gamma autoregressive stationary processes, *Commun. Statist. Simul.* 5, 1141-1146.
- [47] SIM, C.H. (1990) : First order autoregressive models for gamma and exponential processes, *J. Appl. Prob.*, 325-332.
- [48] SREEHARI M. (1995) : Maximum stability and a generalization, *Statistics & Probability Letters*, 23, 339-342.
- [49] SREEHARI, M. and KALAMKAR, V.A. (1997) : Modelling some stationary Markov processes and related characterization, *Journal of Statistical Planning and Inference*, 63, 363-375.
- [50] STEUTEL F.W. and VAN HARN K. (1979) : Discrete analogous of self-decomposability and stability, *Ann. Prob.* 7, 893-899.
- [51] TAVARES L.V. (1980) : An exponential Markovian Stationary process, *J. Appl. Prob.*, 17, 1117-1120.
- [52] WEISS, G. (1975) : Time reversibility of linear stochastic processes, *J. Appl. Prob.*, 12, 143-171.
- [53] YEH, H.C., ARNOLD, B.C. AND ROBERTSON, C.A. (1988) : Pareto processes, *J. Appl. Prob.* 25, 291-301.