

APPENDIX 3 (a)

Showing computations for r and t of two-cata - three-cata form
for total sample (N 100)

B1 - N

$$\begin{aligned}
 r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\
 &= \frac{100(208412) - (-1129)(-2612)}{\sqrt{[100(538336) - (-1129)^2][100(483979) - (-2612)^2]}} \\
 &= \frac{17892252}{49764385} \\
 &= 0.3595
 \end{aligned}$$

$$\begin{aligned}
 \frac{B_2 - S}{t} &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\
 &= \frac{(-12.29) - (-26.12)}{\sqrt{52.558959 + 47.123259 - 2(0.3595)(7.2498)(6.8644)}} \\
 &= \frac{13.83}{\sqrt{63.9008}} \\
 &= \frac{13.83}{7.9937} \\
 &= 1.73
 \end{aligned}$$

$$\underline{B_2 - S}$$

$$\begin{aligned} r_{XY} &= \frac{[N\Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N\Sigma X^2 - (\Sigma X)^2][N\Sigma Y^2 - (\Sigma Y)^2]}} \\ &= \frac{100(47806) - (754)(-800)}{\sqrt{[100(145026) - (754)^2][100(99102) - (-800)^2]}} \\ &= \frac{4177400}{11363252} \\ &= 0.3675 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(7.32) - (-8.00)}{\sqrt{42.9175 + 64.5096 - 2(.3675)(8.0316)(6.5513)}} \\ &= \frac{15.32}{\sqrt{68.7428}} \\ &= \frac{15.32}{8.2903} \\ &= 1.848 \end{aligned}$$

$$\underline{B_3 - I}$$

$$\begin{aligned} r_{XY} &= \frac{[N \Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N \Sigma X^2 - (\Sigma X)^2][N \Sigma Y^2 - (\Sigma Y)^2]}} \\ &= \frac{100(92380) - (62)(-229)}{\sqrt{[100(182908) - (62)^2][100(148293) - (-229)^2]}} \\ &= \frac{9252199}{16448787.95} \\ &= 0.5624 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2\text{Tr}\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(.62) - (-2.29)}{\sqrt{18.2869 + 14.7968 - 2(0.5624)(4.2871)(3.8471)}} \\ &= \frac{2.91}{\sqrt{18.55}} \\ &= \frac{2.91}{4.307} \\ &= .676 \end{aligned}$$

$$\underline{B_4 - D}$$

$$\begin{aligned} r_{XY} &= \frac{[N\Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N\Sigma X^2 - (\Sigma X)^2][N\Sigma Y^2 - (\Sigma Y)^2]}} \\ &= \frac{100(168246) - (4141)(1137)}{\sqrt{[100(356393) - (4141)^2][100(198643) - (1137)^2]}} \\ &= \frac{12116283}{18530851.86} \\ &= 0.6538 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(41.43) - (11.37)}{\sqrt{18.4914 + 18.57153 - 2(.6538)(4.299)(4.3093)}} \\ &= \frac{30.06}{\sqrt{13.9502}} \\ &= \frac{30.06}{3.7351} \\ &= 8.05 \end{aligned}$$

$$\underline{F_1 = C}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{100(394281) - (1646)(3290)}{\sqrt{[100(601324) - (1646)^2][100(536316) - (3290)^2]}} \\ &= \frac{34012760}{50756827206} \\ &= 0.067 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(16.46) - (32.90)}{\sqrt{57.423084 + 42.8075 - 2(.067)(7.5776)(6.5430)}} \\ &= \frac{16.44}{9.6747} \\ &= 1.58 \end{aligned}$$

$$\underline{F_2 - S}$$

$$\begin{aligned}
 r_{XY} &= \frac{N\sum XY - (\sum X)(\sum Y)}{\sqrt{n \left[N\sum X^2 - (\sum X)^2 \right] \left[N\sum Y^2 - (\sum Y)^2 \right]}} \\
 &= \frac{100(1072) - (-276)(-1842)}{\sqrt{\left[100(126468) - (276)^2 \right] \left[100(882344) - (-1842)^2 \right]}} \\
 &= \frac{-401192}{31059829.2} \\
 &= -0.013
 \end{aligned}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r_{XY}\sigma_{M_1}\sigma_{M_2}}} \\
 &= \frac{(-2.76) - (-18.42)}{\sqrt{12.5706 + 84.8414 - 2(-0.013)(3.5454)(9.2109)}} \\
 &= \frac{15.66}{\sqrt{98.2611}} \\
 &= \frac{15.66}{9.9126} \\
 &= 1.699
 \end{aligned}$$

APPENDIX 3 (b)

Showing computations for r and t of two-cata and three-cata response form for boys (N 50)

B1-N

$$\begin{aligned}
 r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\
 &= \frac{50(190864) - (-1933)(-2052)}{\sqrt{[50(298548) - (-1933)^2][50(297329) - (-2052)^2]}} \\
 &= \frac{5576684}{10920050} \\
 &= .51
 \end{aligned}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\
 &= \frac{(-38.66) - (-41.04)}{\sqrt{89.5273 + 85.2460 - 2(.51)(9.46)(9.23)}} \\
 &= \frac{2.38}{\sqrt{76.9796}} \\
 &= \frac{2.38}{8.77} \\
 &= 0.27
 \end{aligned}$$

$$\underline{B_2 - S}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{50(28435) - (743)(-79)}{\sqrt{[50(60259) - (743)^2][50(36035) - (-79)^2]}} \\ &= \frac{1480547}{2102089} \\ &= .70 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(14.86) - (-1.58)}{\sqrt{19.6872 + 14.3641 - 2(.70)(4.44)(3.79)}} \\ &= \frac{16.44}{\sqrt{10.4927}} \\ &= \frac{16.44}{3.24} \\ &= 5.07 \end{aligned}$$

$$\underline{B_3 - I}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{50(42348) - (-878)(-430)}{\sqrt{[50(89448) - (-878)^2][50(90656) - (-430)^2]}} \\ &= \frac{1739860}{4011710.0} \\ &= .43 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(-17.56) - (-8.60)}{\sqrt{29.612 + 34.7832 - 2(.43)(5.44)(5.89)}} \\ &= \frac{8.96}{\sqrt{36.8395}} \\ &= \frac{8.96}{6.07} \\ &= 1.48 \end{aligned}$$

$$\underline{B_4 - D}$$

$$\begin{aligned} r_{XY} &= \frac{[N\Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N\Sigma X^2 - (\Sigma X)^2][N\Sigma Y^2 - (\Sigma Y)^2]}} \\ &= \frac{50(110497) - (2916)(1261)}{\sqrt{[50(239258) - (2916)^2][50(116735) - (1261)^2]}} \\ &= \frac{1847774}{3833102} \\ &= .48 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma M_1^2 + \sigma M_2^2 - 2r\sigma M_1\sigma M_2}} \\ &= \frac{(58.32) - (25.22)}{\sqrt{27.6788 + 33.9730 - 2(.48)(5.26)(5.83)}} \\ &= \frac{33.10}{\sqrt{32.2126}} \\ &= \frac{33.10}{5.68} \\ &= 5.83 \end{aligned}$$

$$\underline{F_1 - C}$$

$$\begin{aligned} r_{XY} &= \frac{[N\Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N\Sigma X^2 - (\Sigma X)^2][N\Sigma Y^2 - (\Sigma Y)^2]}} \\ &= \frac{50(99381) - (-861)(190)}{\sqrt{[50(228381) - (861)^2][50(190228) - (190)^2]}} \\ &= \frac{5132640}{10058562} \\ &= .51 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(-17.22) - (3.80)}{\sqrt{85.4218 + 75.8024 - 2(.51)(9.24)(8.71)}} \\ &= \frac{21.02}{\sqrt{79.1342}} \\ &= \frac{21.02}{8.89} \\ &= 2.36 \end{aligned}$$

$$\underline{F_2 - S}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{50(12101) - (-134)(-1341)}{\sqrt{[50(64544) - (-134)^2][50(372333) - (-134)^2]}} \\ &= \frac{425356}{7346716} \\ &= .05 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma M_1^2 + \sigma M_2^2 - 2r\sigma M_1 \sigma M_2}} \\ &= \frac{(-2.68) - (-26.82)}{\sqrt{25.6740 + 134.5470 - 2(.05)(5.06)(11.59)}} \\ &= \frac{24.14}{\sqrt{154.3565}} \\ &= \frac{24.14}{12.42} \\ &= 1.94 \end{aligned}$$

APPENDIX . 3 (c)

Showing computations for r and t of two-cata and three-cata response form for girls (N 50)

B1 - N

$$\begin{aligned}
 r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\
 &= \frac{50(17548) - (704)(-560)}{\sqrt{[50(239788) - (704)^2][50(186650) - (-560)^2]}} \\
 &= \frac{8435464}{10240628} \\
 &= 0.8
 \end{aligned}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\
 &= \frac{(12.08) - (-11.20)}{\sqrt{91.95 + 72.15 - 2(.8)(9.50)(8.40)}} \\
 &= \frac{25.28}{\sqrt{164.10}} \\
 &= \frac{25.28}{36.42} \\
 &= .694
 \end{aligned}$$

$$\underline{B_2 - S}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{50(19371) - (-11)(-721)}{\sqrt{[50(84767) - (-11)^2][50(63067) - (-721)^2]}} \\ &= \frac{960619}{3340870.28} \end{aligned}$$

$$.29$$

$$\begin{aligned} t_t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(-0.22) - (-14.22)}{\sqrt{[33.9058 + 21.0681 - 2(.29)(5.82)(4.59)]}} \\ &= \frac{14.00}{\sqrt{39.4799}} \\ &= \frac{14.00}{6.28} \\ &= 2.23 \end{aligned}$$

$$\underline{B_3 - I}$$

$$\begin{aligned}
 r_{XY} &= \frac{[N\Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N\Sigma X^2 - (\Sigma X)^2][N\Sigma Y^2 - (\Sigma Y)^2]}} \\
 &= \frac{50(50032) - (940)(201)}{\sqrt{[50(93460) - (940)^2][50(5783) - (201)^2]}} \\
 &= \frac{2312660}{3293628} \\
 &= .70
 \end{aligned}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\
 &= \frac{(18.80) - (4.02)}{\sqrt{30.3152 + 22.8116 - 2(.70)(5.51)(4.78)}} \\
 &= \frac{14.76}{\sqrt{16.2539}} \\
 &= \frac{14.76}{4.03} \\
 &= 3.67
 \end{aligned}$$

$$\underline{B_4 - D}$$

$$\begin{aligned} r_{XY} &= \frac{[N\Sigma XY - (\Sigma X)(\Sigma Y)]}{\sqrt{[N\Sigma X^2 - (\Sigma X)^2][N\Sigma Y^2 - (\Sigma Y)^2]}} \\ &= \frac{50(57749) - (1227)(-124)}{\sqrt{[50(117135) - (1227)^2][50(81908) - (-124)^2]}} \\ &= \frac{2735302}{4213441} \\ &= .64 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(24.54) - (-2.48)}{\sqrt{34.8098 + 32.6402 - (.64)(5.90)(5.71)}} \\ &= \frac{27.02}{\sqrt{24.3281}} \\ &= \frac{27.02}{4.93} \\ &= 5.48 \end{aligned}$$

$$\underline{F_1 - C}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{50(294900) - (2507)(3100)}{\sqrt{[50(372943) - (2507)^2][50(346088) - (3100)^2]}} \\ &= \frac{7159300}{97524966} \\ &= .06 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(50.14) - (62.00)}{\sqrt{98.8968 + 61.5552 - 2(.06)(9.94)(7.84)}} \\ &= \frac{11.86}{\sqrt{151.1004}} \\ &= \frac{11.86}{12.30} \\ &= 0.96 \end{aligned}$$

$$\underline{F_2 - S}$$

$$\begin{aligned} r_{XY} &= \frac{[N\sum XY - (\sum X)(\sum Y)]}{\sqrt{[N\sum X^2 - (\sum X)^2][N\sum Y^2 - (\sum Y)^2]}} \\ &= \frac{50(-13173) - (-142)(-501)}{\sqrt{[50(61924) - (-142)^2][50(510011) - (-501)^2]}} \\ &= \frac{139792}{8812974.6} \\ &= 0.016 \end{aligned}$$

$$\begin{aligned} t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2 - 2r\sigma_{M_1}\sigma_{M_2}}} \\ &= \frac{(-2.84) - (-10.02)}{\sqrt{24.6083 + 2(0.016)(4.96)(14.21)}} \\ &= \frac{7.18}{\sqrt{224.3493}} \\ &= \frac{7.18}{14.98} \\ &= 0.48 \end{aligned}$$

APPENDIX 3 (d)

Showing computations for t of sex differences on two-cata.
response form

B1 - N

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-38.63) - (12.08)}{\sqrt{89.5273 + 91.9503}} \\
 &= \frac{50.71}{\sqrt{181.4776}} \\
 &= \frac{50.71}{13.57} \\
 &= 3.73
 \end{aligned}$$

B2-S

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(14.86) - (-0.22)}{\sqrt{(19.6872) + (33.9058)}} \\
 &= \frac{15.08}{\sqrt{53.5930}} \\
 &= \frac{15.08}{7.320} \\
 &= 2.06
 \end{aligned}$$

$$\underline{B_3 - I}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-17.56) - (18.80)}{\sqrt{29.6121 + 30.3152}} \\
 &= \frac{36.36}{\sqrt{59.9273}} \\
 &= \frac{36.36}{7.741} \\
 &= 4.697
 \end{aligned}$$

$$\underline{B_4 - D}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(58.32) - (24.54)}{\sqrt{27.6788 + 34.8098}} \\
 &= \frac{33.78}{\sqrt{62.4886}} \\
 &= \frac{33.78}{7.904} \\
 &= 4.273
 \end{aligned}$$

$$\underline{F_1 - C}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-17.22) - (50.14)}{\sqrt{85.4218 + 98.8968}} \\
 &= \frac{67.36}{\sqrt{184.3186}} \\
 &= \frac{67.36}{13.576} \\
 &= 4.961
 \end{aligned}$$

$$\underline{F_2 - S}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-2.68) - (-2.84)}{\sqrt{25.6740 + 24.6083}} \\
 &= \frac{0.16}{\sqrt{50.2823}} \\
 &= \frac{0.16}{7.091} \\
 &= .086
 \end{aligned}$$

APPENDIX 3 (e)

Showing computations for t of sex differences on three-cata response form

B1-N

Boys : 50

Girls: 50

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-41.04) - (-11.20)}{\sqrt{85.2460 + 72.1512}} \\
 &= \frac{29.84}{\sqrt{157.3972}} \\
 &= \frac{29.84}{12.59} \\
 &= 2.36
 \end{aligned}$$

B2 - S

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-1.58) - (-14.22)}{\sqrt{14.3641 + 21.0681}} \\
 &= \frac{12.64}{\sqrt{35.4322}} \\
 &= \frac{12.64}{5.952} \\
 &= 2.12
 \end{aligned}$$

$$\underline{B_3 - I}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-8.60) - (4.02)}{\sqrt{34.7832 + 22.8116}} \\
 &= \frac{12.620}{\sqrt{57.5948}} \\
 &= \frac{12.620}{7.589} \\
 &= 1.06
 \end{aligned}$$

$$\underline{B_4 - D}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(25.22) - (-2.48)}{\sqrt{33.9730 + 32.6402}} \\
 &= \frac{27.70}{\sqrt{66.6132}} \\
 &= \frac{27.70}{8.161} \\
 &= 3.394
 \end{aligned}$$

$$\underline{F_1 - C}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(3.80) - (62.00)}{\sqrt{75.8024 + 61.5552}} \\
 &= \frac{58.20}{\sqrt{137.3576}} \\
 &= \frac{58.20}{11.719} \\
 &= 4.966
 \end{aligned}$$

$$\underline{F_2 - S}$$

$$\begin{aligned}
 t &= \frac{M_1 - M_2}{\sqrt{\sigma_{M_1}^2 + \sigma_{M_2}^2}} \\
 &= \frac{(-26.82) - (-10.02)}{\sqrt{134.5470 + 201.9964}} \\
 &= \frac{16.80}{\sqrt{336.5434}} \\
 &= \frac{16.80}{18.345} \\
 &= 0.916
 \end{aligned}$$